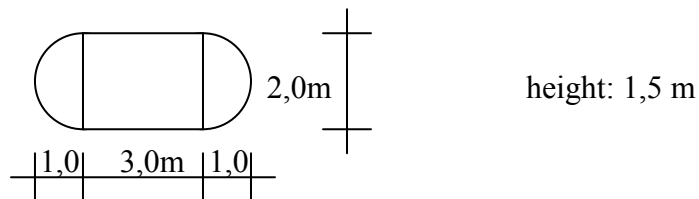


Dimensions and units

Quantities we will use	Symbol	Dimension	Units we use
Length	l	(length)	m, cm, mm
Area	A	length^2	m^2 , cm^2 , mm^2
Volume	V	length^3	m^3 , cm^3 , mm^3
Mass of an object	m	mass	kg, g, ...
Weight of an object	$G = m \cdot a_g$	mass · length / (time ²)	$\text{kg} \cdot \text{m} / \text{s}^2 = \text{N}$, kN, ...
Density of a material	ρ (rho) = m / V	mass / volume	kg / m^3 , g / cm^3 , ...
Specific weight of a material	γ (gamma) = G / V		kN / m^3 , N / mm^3 , ...
Weight per unit length	$g = G / l$		kN / m , N / mm , ...
Weight per unit area	$g = G / A$		N / m^2 , ...

Where: $a_g = 9,81 \text{ m/s}^2$: gravitational constant
 N : "Newton"

- 1) The density of water is $\rho = 1,00 \text{ g/cm}^3$.
- Change the unit of ρ to kg/m^3 .
 - $\gamma_{\text{water}} = ?$ (in kN/m^3).
 - Calculate the weight per unit surface of water of depth 1,5 m.
 - A pool has the following geometry.



How much is the total mass of water?

- e) How much is the total weight of water?

- 2) Determine the specific weight, the weight per unit length and the total weight of the following elements! Use the following units: kN/m^3 , kN/m , kN .

- $100/150 \times 3\text{m}$ pine beam, $\rho_{\text{pine}} = 0,65 \text{ g/cm}^3$.
- Standard "I-200" steel beam length 3m, $\rho = 7,85 \text{ g/cm}^3$, $A = 33,4 \text{ cm}^2$.